X = $\qquad$ $S_{x}=$ $\qquad$ $\mu_{0}=$ $\qquad$ $\alpha=$ $\qquad$ \%
n = $\qquad$

Population

Quantitative Variable

## Step I Identify Procedure:

We want to test the evidence against the claim that the mean for $\qquad$ in the population of $\qquad$ 1 ) is equal to $\qquad$ ( $\mu_{0}$ ).

The null and alternative hypotheses are:

$$
H_{0}: \mu=
$$

## Step II Check Conditions:

* $\qquad$ : A $\qquad$
$\qquad$ was conducted to insure every member of the population was equally likely to be selected.
* $\qquad$ Sampling Distribution: The sampling distribution of all possible sample means has an approximately
$\qquad$ shape because the sample was of sufficient size, over 30 (per the $\qquad$ Theorem).
* $\qquad$ : The lack of replacement is not a problem in this case because the number of subjects in the
population is more than $\qquad$ times the sample size.


## Step III Perform Procedure: Sketch the Sampling Distribution on the back of this page, and shade the P-value. Make it big and easy to read.

Sampling Distribution: Mean = $\qquad$ Standard Deviation $=$ $\qquad$ Shape: Approximately $\qquad$
t-statistic =
$\frac{\bar{X}-\mu_{0}}{\frac{S_{x}}{\sqrt{n}}}$
$=$ $\qquad$


## Step IV Interpretation:

We fail to reject the null hypothesis at the $\qquad$ \% significance level $\qquad$ . The P-value of $\qquad$ \% shows that an observed sample mean as extreme as $\qquad$ would be expected to occur $\qquad$ \% of the time, and thus mere chance could explain the difference between the sample mean and the hypothesized population mean. We cannot say that the mean for $\qquad$ in the population of $\qquad$ is not equal to the reported mean of $\qquad$ ( $\mu_{0}$ ).

## OR

We reject the null hypothesis at the $\qquad$ \% significance level ( $\qquad$ . The P-value of $\qquad$ \% falls (just below OR well below) the significance level, thus there is (moderate OR strong) evidence that the alternative hypothesis is true, $\qquad$ (___) is $\qquad$ than $\qquad$ _.

